

# Mathematics Student Workbook – Stage 3

Name:

Class:

## Overview

You will be having lots of fun with maths, especially number! Most of these lessons are games that you can play with your family. Have fun and think deeply!

These activities do not require the use of a device. However, if you're interested in seeing videos related to these activities, you can find the link on the Learning from home, Teaching and learning resources, K-6 resources page.

<https://sites.google.com/education.nsw.gov.au/get-mathematical-stage-3/stage-3-home>

# Activity 1

During this activity you will explore addition and subtraction and place value in order to get as close as possible to 100.



Resources – Playing cards from Ace to 9 (where Ace = 1) or a 4 sets of 1-9 cards you've made at home.

## Closest to 100



Play this game with a partner in your workbook or on paper. If you can, it is even better to play 2 versus 2. You can view the game here:

<https://sites.google.com/education.nsw.gov.au/get-mathematical-stage-3/contexts-for-practise/closest-to-100>

Players shuffle the cards and put them in a central pile. One person takes 6 cards and places them face up for everyone to see.

The goal is to use addition and subtraction to get as close to a total of 100 as possible.

Each card can only be used once. It can be used to form a 1- or 2-digit number. Imagine a 2, 4, 5, 1, 8 and 5 have been flipped over.

A team of players could:

- Use 8 and 5 and make 8 represent 8 tens to create the 2-digit number 85
- Use 1 and 5 and make 1 represent 1 ten to create the 2-digit number 15
- Add 85 and 15 together to make 100

If a player had flipped over 6, 3, 9, 9, 1, 2, they could:

- Make 91 and 9, adding them together to make 100
- Make 99 and 1, adding them together to make 100
- Make 63 and 29, adding them together to make 92.
- Then, add 9 more to make 101. Subtract 1 from 101 to make 100.

If a player had flipped over 3, 3, 6, 8, 1, 2, they could:

- Make  $83 + 23 = 106$ .  $106 - 6 = 100$
- Make  $86 + 13 + 3 = 102$ .  $102 - 2 = 100$

Players score 0 points if they are able to reach exactly 100. Otherwise, they work out their points based on the difference between their total and 100. For example, if a player created a total of 98, they would score 2 points.

Keep a cumulative total of your difference to 100. The winner is the player to have the lowest points score at the end.

Variations:

- The first 3 cards are 'small numbers' (single digits) and the next 3 cards are 'multiples of 10' (the face value multiplied by 10). E.g. I flip over cards showing 3, 6, 1, 9, 3 and 4 and have to use the numbers 3, 6, 1, 90, 30 and 40
- Change the target number, for example, to 50

## Reflection



Think about what you have learnt in this activity. Use the two stars and a wish structure to guide your reflection.

Star Something that went well!	Star Something that went well!	Wish A goal for next time...

## Activity 2

During this activity you will be exploring area. You should also look for patterns and think of strategies to beat your opponent.



Resources – 1cm grid paper from your mathematics book, different coloured pencils or markers, 2 spinners (you will need the decagon outlines in the resources page and 2 paper clips), and a pen.

### Multiplication toss

This is a variation of a game from Professor Dianne Siemon and the Victorian Department of Education

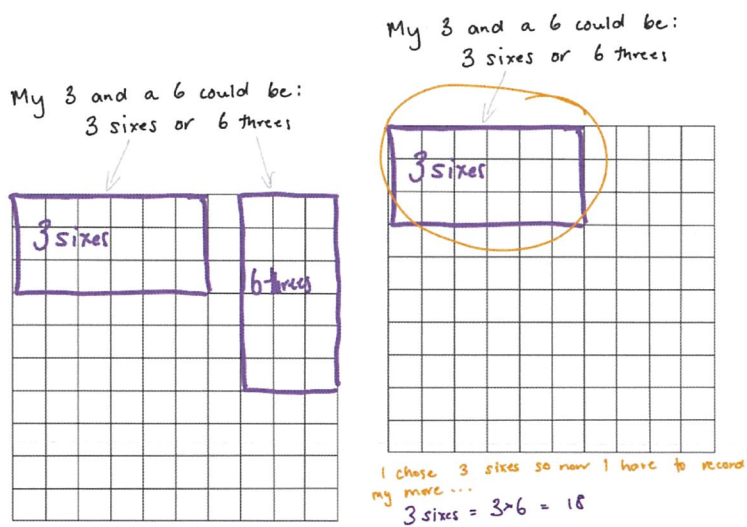
(<https://www.education.vic.gov.au/Documents/school/teachers/teachingresources/discipline/maths/assessment/lafzone2intro.pdf>). A version of this game can also be found here

(<https://www.youcubed.org/tasks/how-close-to-100/>)



Play this game with a partner.

Players take turns to spin the spinners. If a 3 and 6 are spun, players can enclose either a block out of 3 rows of 6 (3 sixes) or 6 rows of 3 (6 threes).



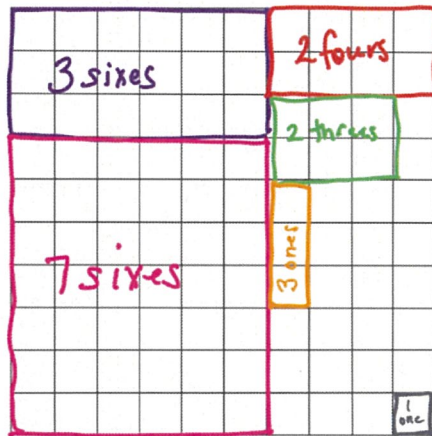
The game continues with no overlapping areas. The winner is the player with the largest area blocked out after 10 spins.

Eventually the space on the grid paper gets really small. Then, you have to think:

- What if my 3 sixes won't fit as 3 sixes or as 6 threes? Players can partition to help them! So, for example, I can rename 3 sixes as 2 sixes and 1 six (if that helps me fit the block into my game board).

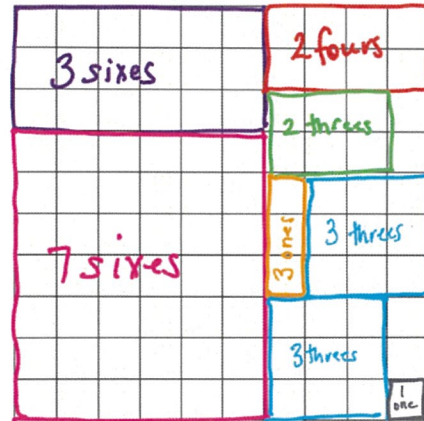


I rolled a 3 and a 6 again...but I don't have space so I can partition (split my move)  
so 6-threes becomes 3-threes + 3-threes...



$$\begin{aligned} 3 \text{ sixes} &= 3 \times 6 = 18 \\ 2 \text{ fours} &= 2 \times 4 = 8 \\ 7 \text{ sixes} &= 7 \times 6 = 42 \\ 2 \text{ threes} &= 2 \times 3 = 6 \\ 3 \text{ ones} &= 3 \times 1 = 3 \\ 1 \text{ one} &= 1 \times 1 = 1 \end{aligned}$$

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## Reflection



Now that you've played this game once, what could you do differently next time to increase your chances of filling in 100 squares?

## Activity 3

During this activity you will continue to explore multiplication, division and equivalent areas. In the same way mathematicians can see 8 and think about it as 4 and 4 more, we can do the same with multiplicative situations and area!



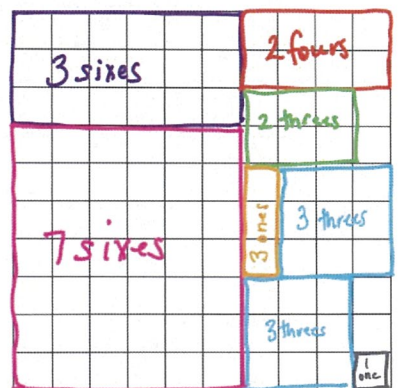
Resources – colour pencils, grid paper, two spinners, a paperclip and a pen.

## Multiplication toss Part 2



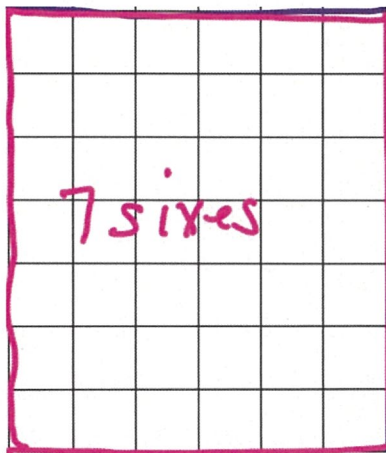
Explore these ideas and write them in your workbook.

After playing Multiplication toss, select an outlined area from your game board, for example, here is a game board.



$$\begin{aligned}
 3 \text{ sixes} &= 3 \times 6 = 18 \\
 2 \text{ fours} &= 2 \times 4 = 8 \\
 7 \text{ sixes} &= 7 \times 6 = 42 \\
 2 \text{ threes} &= 2 \times 3 = 6 \\
 3 \text{ ones} &= 3 \times 1 = 3 \\
 1 \text{ one} &= 1 \times 1 = 1 \\
 6 \text{ threes} &= 3 \text{ threes} + 3 \text{ threes} = 3 \times 3 + 3 \times 3 = 18
 \end{aligned}$$

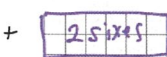
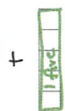
You might choose this section:



Draw and label all of the different ways that area can be partitioned and renamed.  
For example (Here are 2 ideas)



$$7 \text{ sixes} = 7 \text{ fives} + 7 \text{ ones}$$



$$7 \text{ sixes} = 5 \text{ fives} + 1 \text{ five} + 2 \text{ sixes}$$

## Reflection



Think about what you have learnt in this activity.

How many different ways did you find to partition your selected area?



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What does this reveal to you about how flexibly mathematicians can think about situations involving area, multiplication and division?

How could you use this knowledge to help you in the future?

## Activity 4

1. During this activity you will be exploring fractions. You should also look for patterns and think of strategies to beat your opponent.



Colour in Fractions game board (in resources at the back of this workbook), lots of different coloured pencils and markers, fraction spinners (in resources).

## Colour in fractions

(From: D. Clarke and A. Roche, *Engaging Maths: 25 Favourite Maths Lessons*, 2014)



Play this game with a partner. If you can, the best way to play is 2 versus 2 so you can develop winning strategies together. You can view this activity here:

<https://sites.google.com/education.nsw.gov.au/get-mathematical-stage-3/contexts-for-practise/colour-in-fractions>

Players take turns spin both fraction spinners to make a fraction. The first spinner tells you how many and the second spinner tells you what fraction you are working with.

Colour the equivalent of the fraction shown. For example, if a player spins 2 and *quarters* then they can colour in  $\frac{2}{4}$  of one line, or  $\frac{4}{8}$  of one line, or  $\frac{1}{4}$  of one line and  $\frac{2}{8}$  of another, or any other combination that is the same as  $\frac{2}{4}$ .

Each time you spin, you should use a different colour pencil or marker.

If a player is unable to use their turn, they “pass.”

Players take it in turns to spin and make fractions, marking them on their fraction wall. If the fraction rolled or its equivalence cannot be shaded, they miss a turn. This becomes more frequent later in the game.

You are not allowed to break up a “brick.”

In finishing off the game, you must have had 18 turns or have filled in your wall. A larger fraction is not acceptable to finish.

The first player who colours in their whole wall is the winner. If after 18 turns, neither player colours in their whole wall, the player with the greatest number of wholes wins.

Activity sheet Colour in Fractions

What I rolled	What I shaded	What I rolled	What I shaded
$\frac{2}{4}$	1 half		
$\frac{3}{8}$	3 eighths		
$\frac{2}{2}$	2 quarters + 2 eighths + 3 twelfths		
$\frac{4}{4}$	3 thirds		
$\frac{3}{6}$	3 sixths		
$\frac{1}{2}$	1 half		
$\frac{4}{8}$	1 quarter + 2 eighths		
$\frac{4}{12}$	1 quarter + 1 twelfth		
$\frac{3}{12}$	3 twelfths		

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## Reflection



Reflection questions. Think about these questions and write your thinking in your workbook.

1. If you played the game tomorrow, what would you do differently?
2. If you were giving some hints to a younger brother or sister who was about to play the game, what would you say to him or her to help them win?

## Activity 5

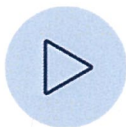
During this activity you will be exploring equivalent fractions and the renaming of fractions.



Resources: Colour in fractions game board (in resources at the back of this workbook), lots of different coloured pencils and markers, fraction spinners (in resources).

## Colour in fractions Part 2

(From: D. Clarke and A. Roche, Engaging Maths: 25 Favourite Maths Lessons, 2014)



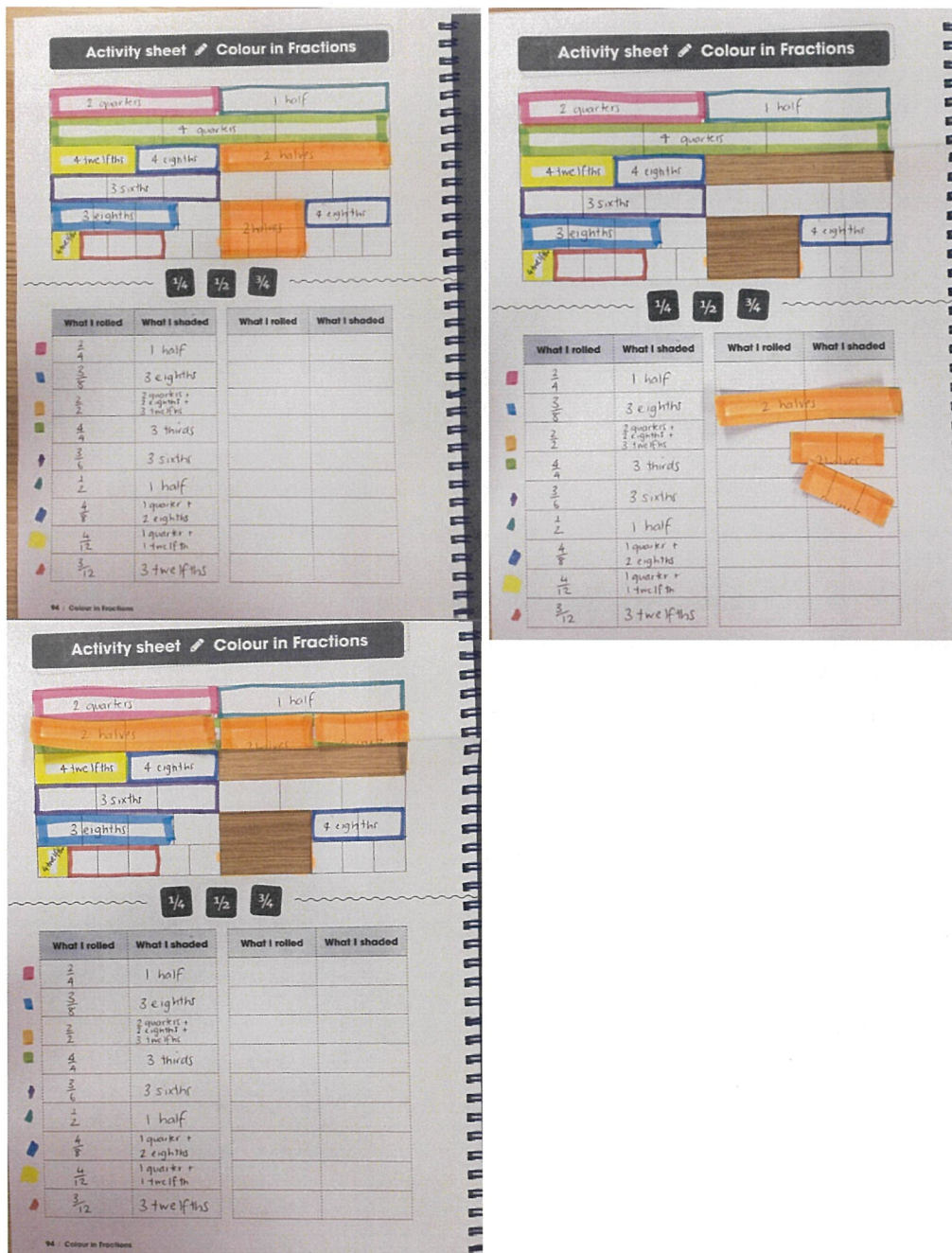
Play this game with a partner. You can view this activity here:

<https://sites.google.com/education.nsw.gov.au/get-mathematical-stage-3/contexts-for-practise/colour-in-fractions-part-2>

Play the fractions game again.

Look at Michelle's game board.





She recorded  $\frac{2}{2}$  as 2 quarters + 2 eighths + 3 twelfths. She wondered...how many other ways can she rename  $\frac{2}{2}$ ?



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Use the game board to explore these questions:

- 2 halves is...
- 2 quarters + 2 eighths + 3 twelfths
- 4 eighths + 1 half
- 4 eighths + 6 twelfths
- 3 sixths + 6 twelfths
- 3 thirds is....

Now, explore your own game boards to investigate equivalent fractions. What equivalent fractions can you investigate using your gameboard?

## Reflection



Reflection questions. Think about this question and write your thinking in your workbook.

1. What is something interesting that you discovered when exploring equivalent fractions today?

# Resources

**Activity sheet Colour in Fractions**

$\frac{1}{4}$

$\frac{1}{2}$

$\frac{3}{4}$

What I rolled	What I shaded

What I rolled	What I shaded

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## Activity sheet Colour in Fractions


$\frac{1}{4}$

$\frac{1}{2}$

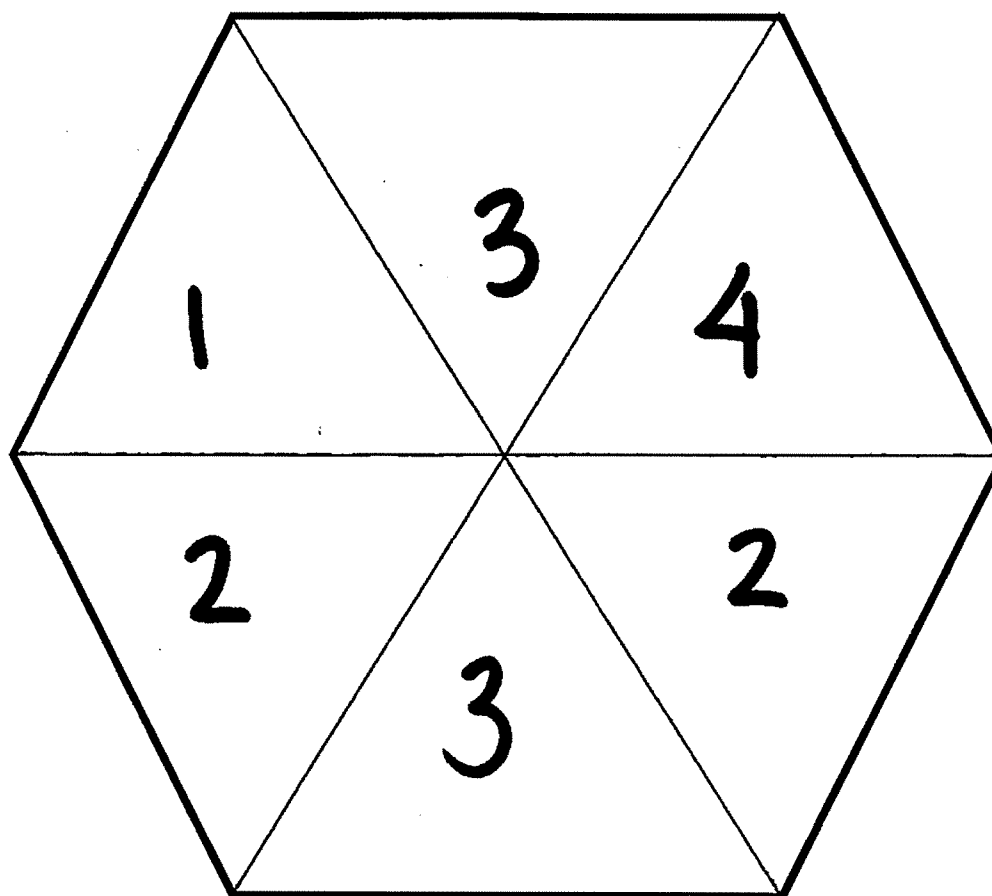
$\frac{3}{4}$

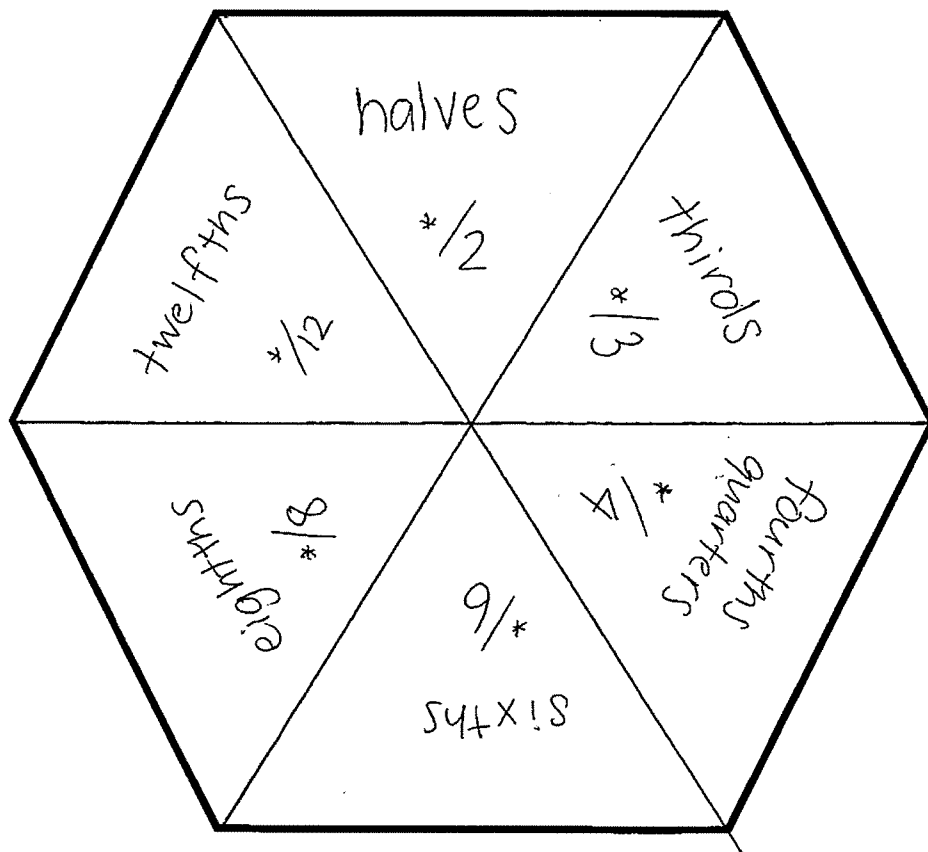
What I rolled	What I shaded

What I rolled	What I shaded

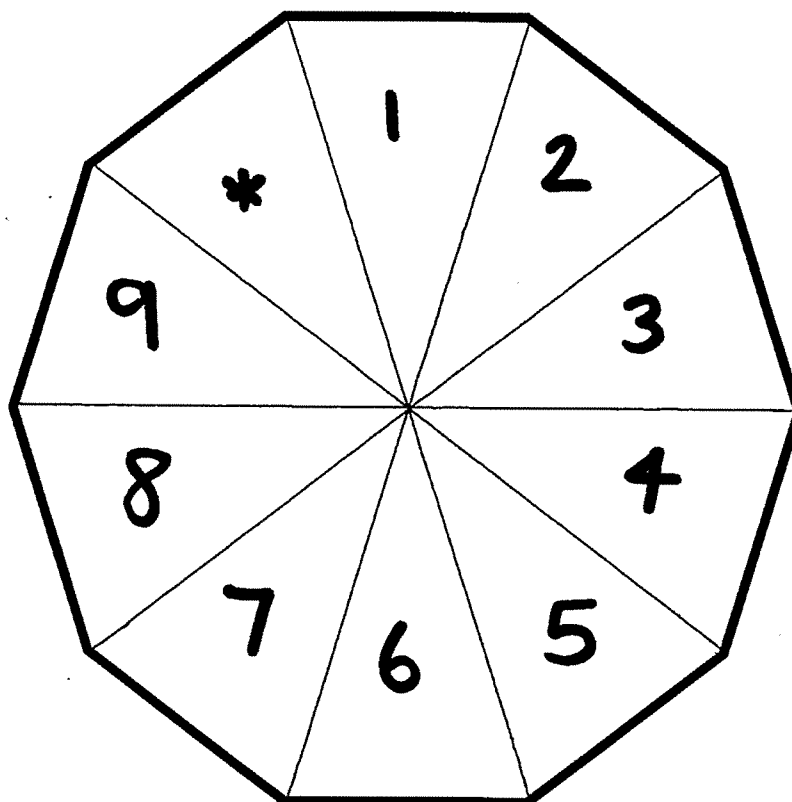
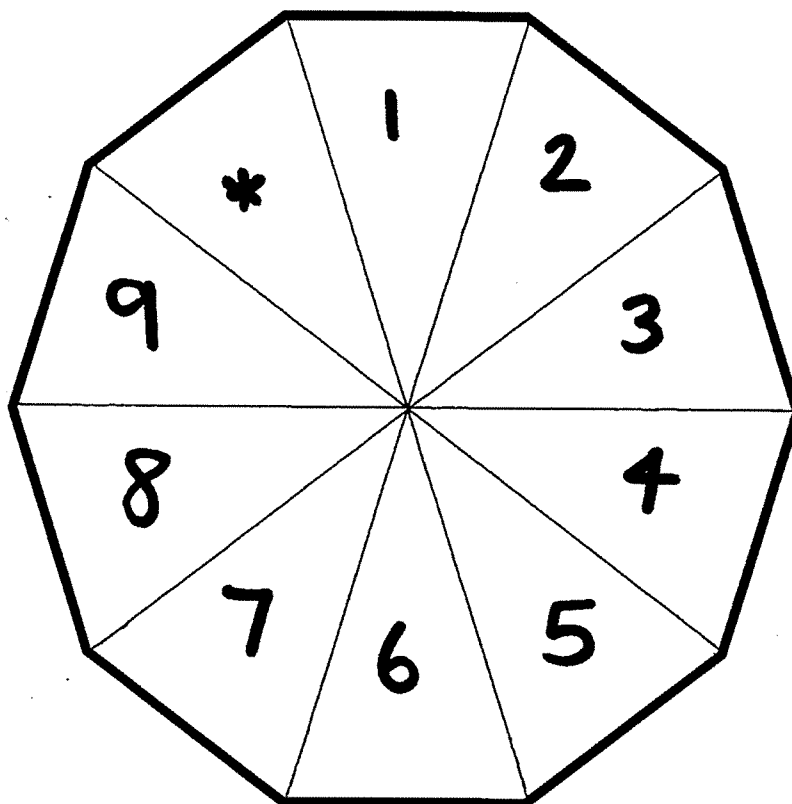
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Colour in fraction spinners









\* You choose!  
- spin again ; or  
- free choice !

Name: \_\_\_\_\_

**One-centimetre grid**

